

Efficient Deniable Authentication for Signatures

Application to Machine-Readable Travel Document

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Paris-Rocquencourt, France

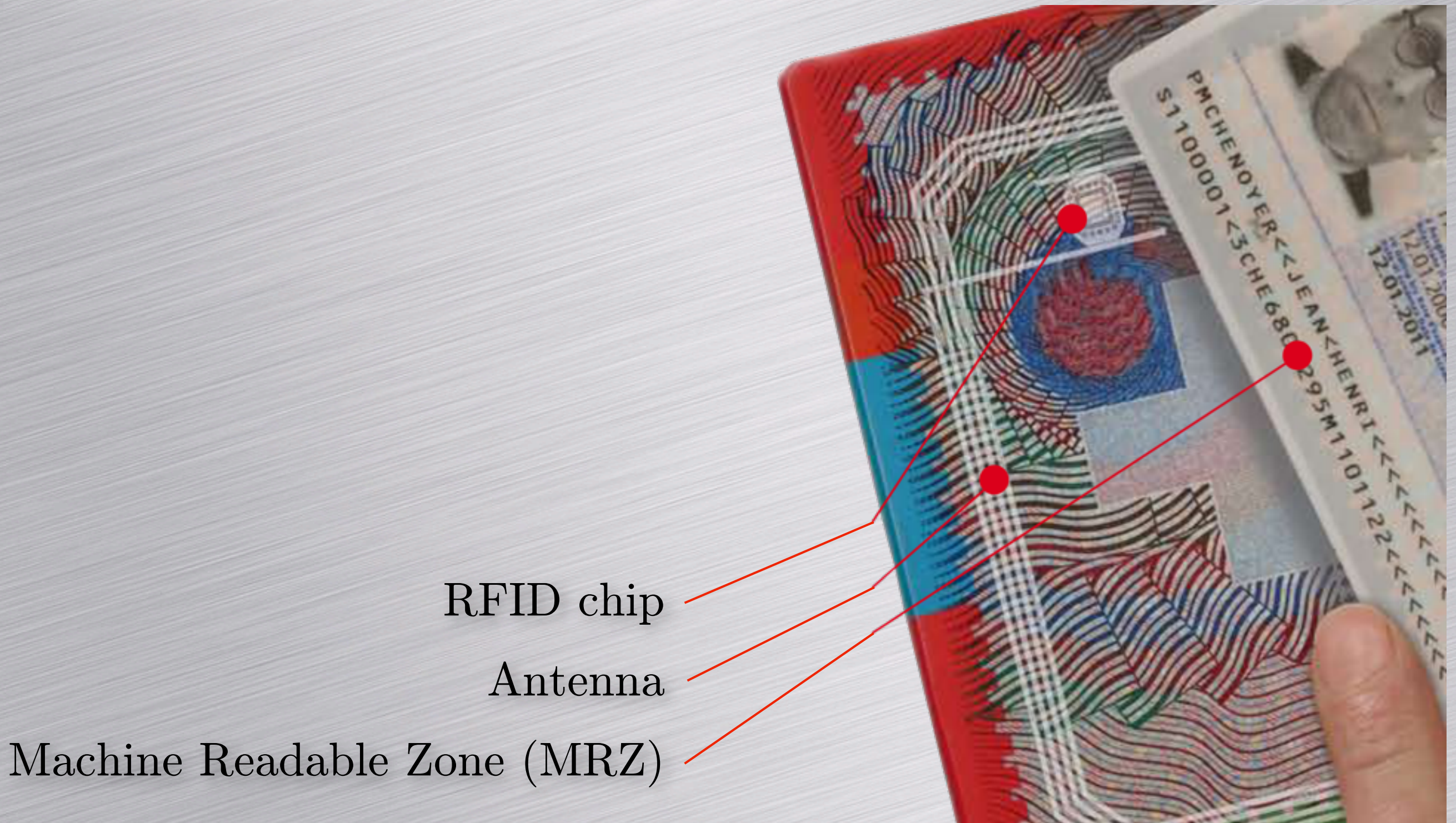
June 4th, 2009

Outline

- Motivation: electronic passports
- New primitive: ONTAP
 - Online Non-Transferable Authentication Protocol
- Proofs of knowledge, zero-knowledge, ...
- Contribution of the paper

Electronic Passports

An Electronic Passport...



Reading an E-passport



Radio channel

Visual channel

Reader

Implementation, use, and security mandated by the International Civil Aviation Organization (ICAO).

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 - DG3 - fingerprint(s)
 - ...
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- Only DG1 and DG2 are mandatory.

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 - PKI for border patrols
 - EU standard (not an ICAO standard)

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- Basic Access Control (BAC)
 - Prove to the e-passport that you have visual access
 - Use an encryption key $sk=f(MRZ_info)$ *Usually used*
- Extended Access Control (EAC)
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Data Authentication

- **Passive** versus **active** authentication

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- **Passive** versus **active** authentication
- Passive authentication (mandatory)
 - Aims to prove that the **data is genuine**
- Active authentication (optional)
 - Aims to prove that the **chip is genuine** (not cloned)
 - In addition to passive authentication

Passive Authentication

- LDS contains a Security Object Document (SOD)
 - Basically, the national authority signed the DGs

- LDS:

- DG1

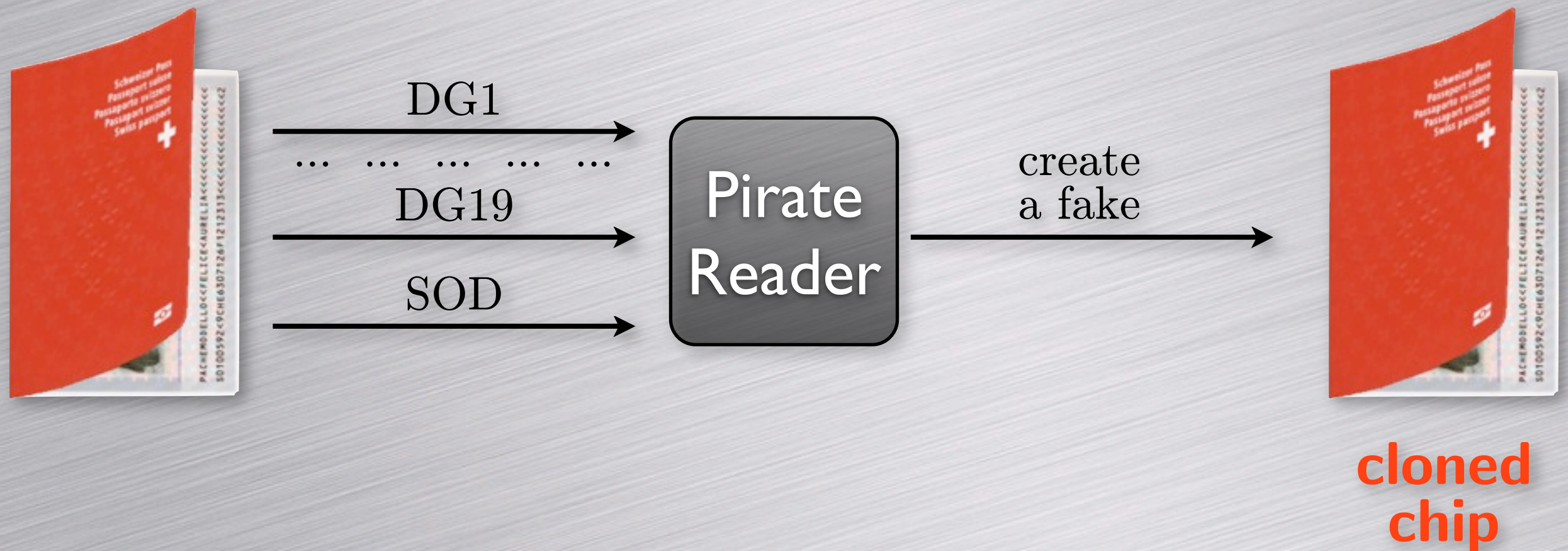
- ...

- DG19

- **SOD** which contains

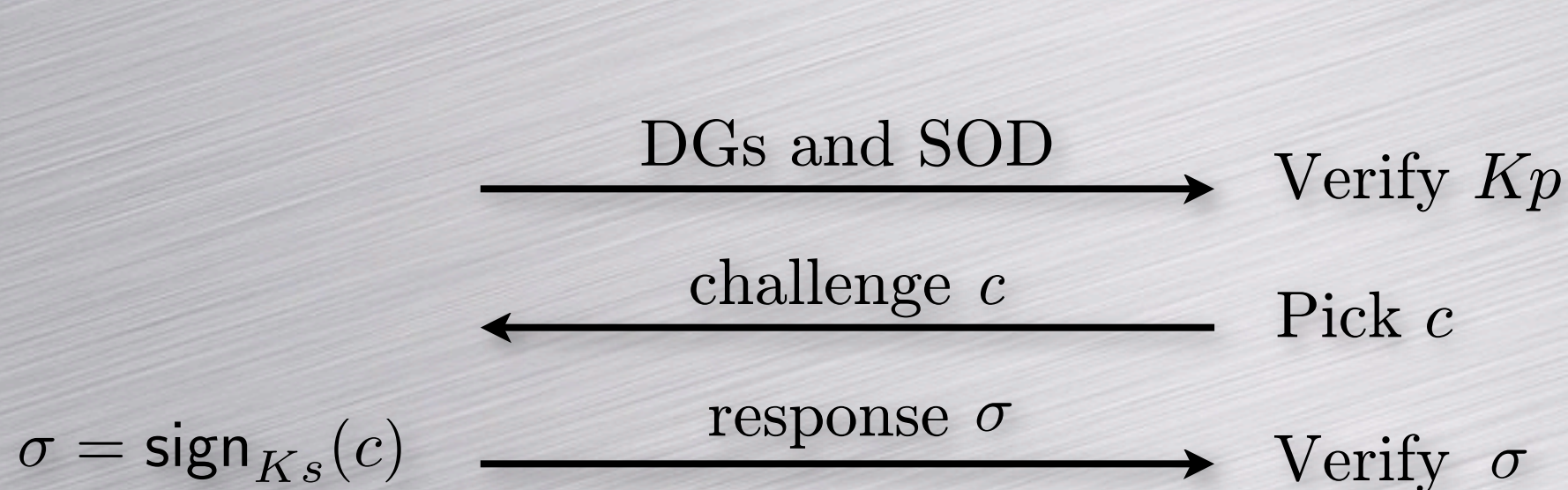
$$H(DG1), \dots, H(DG19), \quad \text{sign}_{K_{s,NA}}(H(DG1), \dots, H(DG19))$$

Passive Authentication (2)



Active Authentication

- Avoids cloning or substitution of the chip
- The e-passport contains a pair of keys: K_p and K_s
 - K_s stored in a secure memory
 - K_p stored in DG15 (authenticated by SOD)



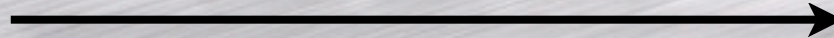
Reader

Privacy Issue

- Anyone having a reader (100 Euros) can obtain all DGs and the SOD



DGs and SOD



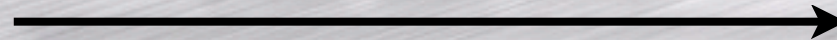
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DGs and SOD

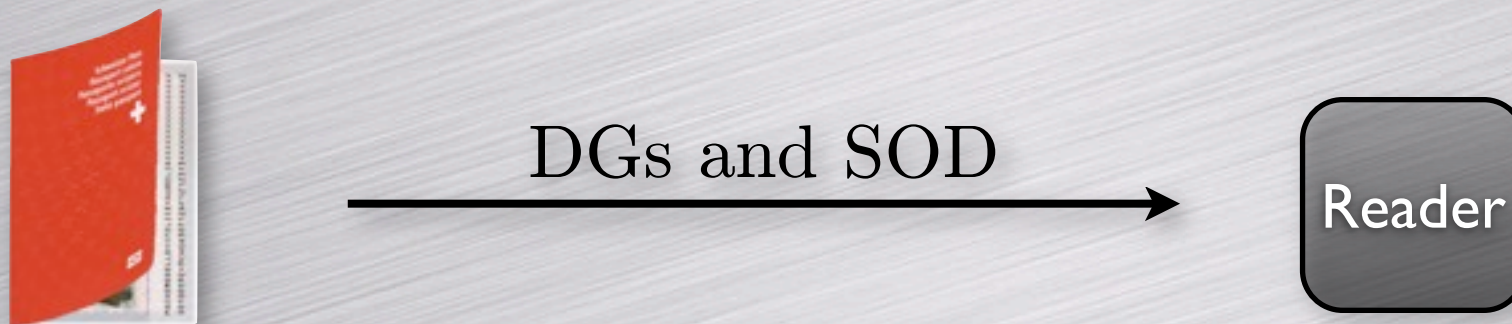


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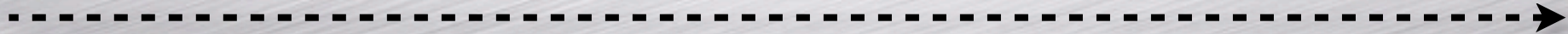
- Publishing the data only (DGs):
 - the owner can still claim that it is incorrect
- But, publishing the SOD too:
 - SOD is an evidence of the authenticity of DGs

Solution: The Main Idea



$K_{p,NA}, K_{s,NA}$

$K_{p,NA}$



Solution: The Main Idea

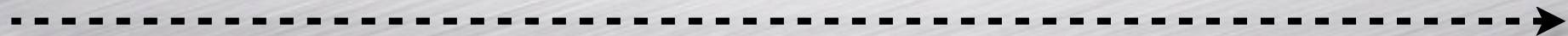


$K_{p,NA}, K_{s,NA}$

$K_{p,NA}$

DGs

σ



Solution: The Main Idea



Reader

X

$K_{p,NA}, K_{s,NA}$

$K_{p,NA}$

DGs

σ

DGs, SOD



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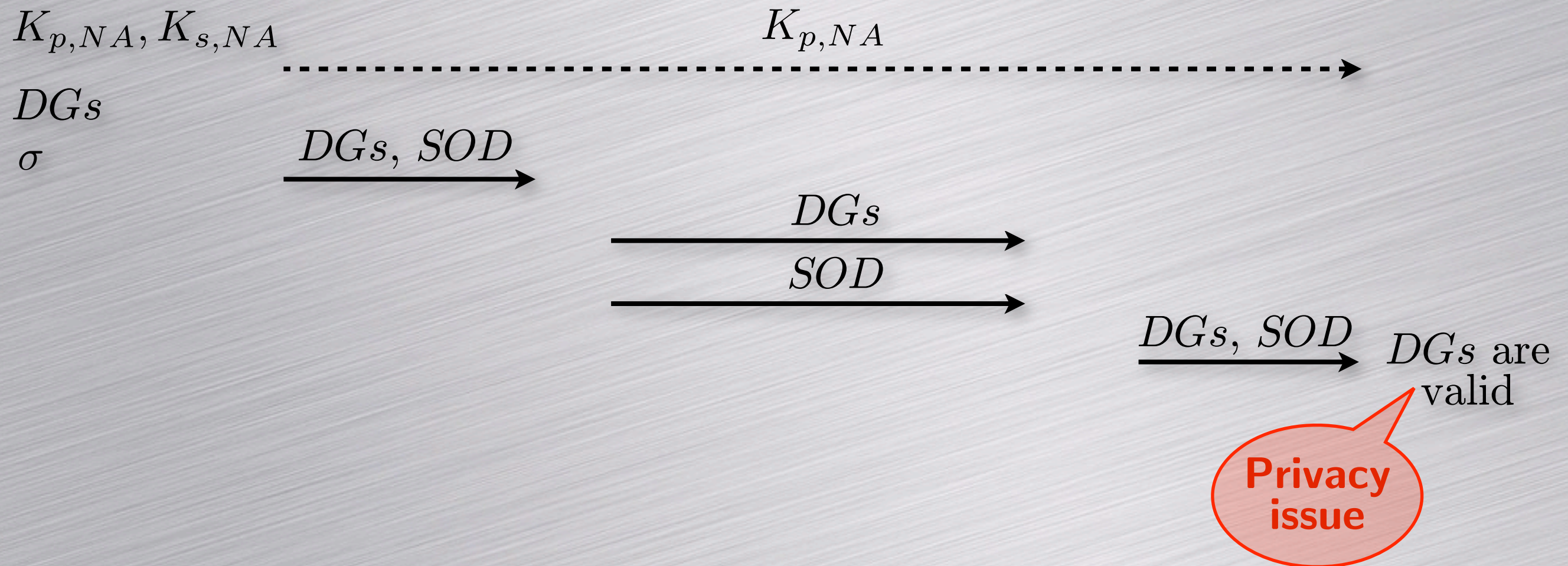


Reader

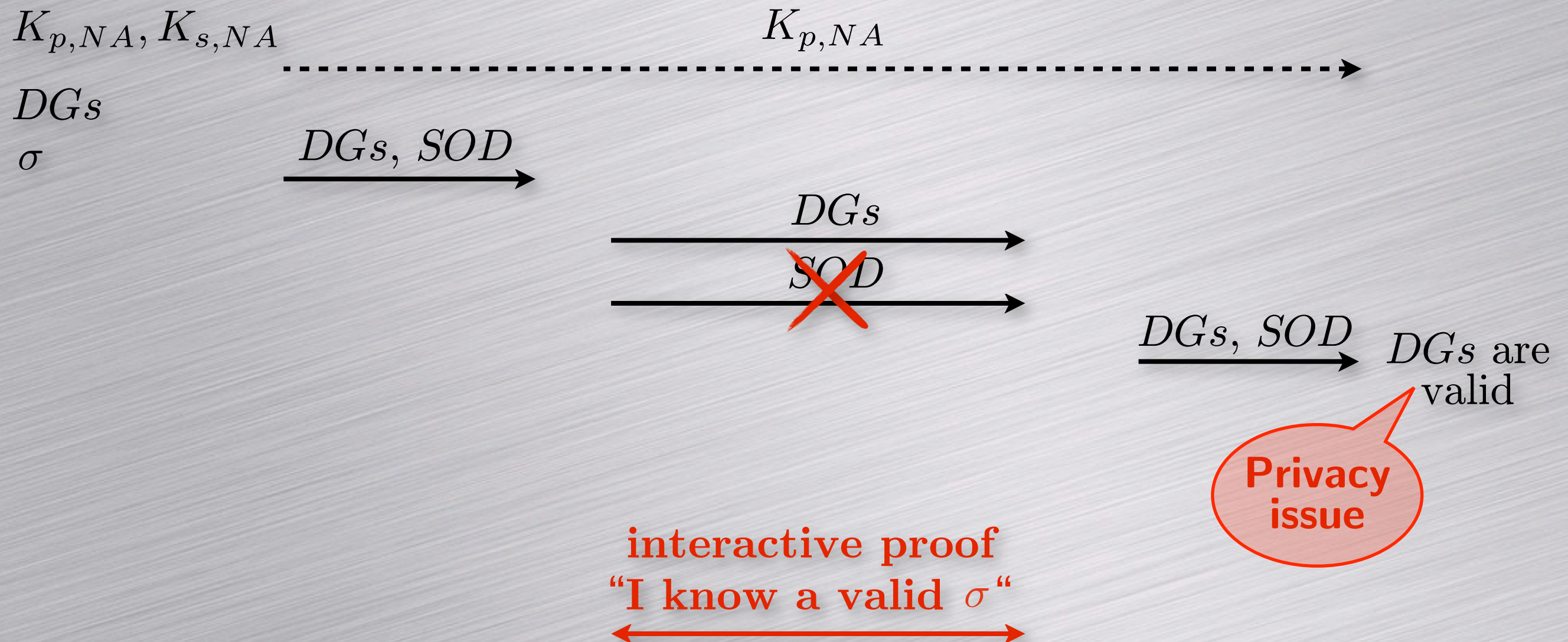
X



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Online Non Transferable Authentication Protocol (ONTAP)

ONTAP Overview

ONTAP Overview

Signer

Prover

Verifier

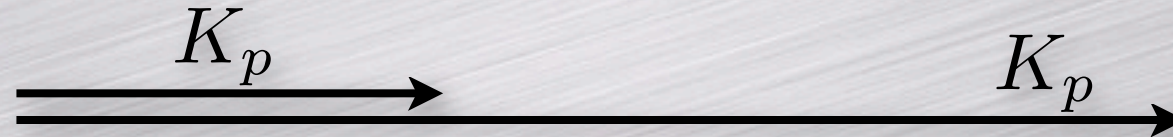
ONTAP Overview

Signer

$(K_p, K_s) = \text{setup}()$

Prover

Verifier



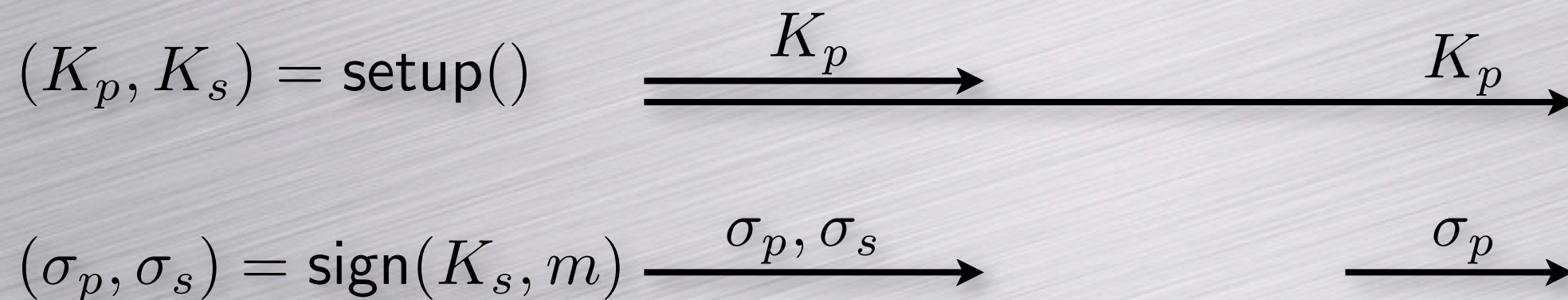
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$\xRightarrow{K_p}$

$(\sigma_p, \sigma_s) = \text{sign}(K_s, m) \xrightarrow{\sigma_p, \sigma_s}$

$\xrightarrow{\sigma_p}$

$\text{iProof}(K_p, m, \sigma_p, \sigma_s) \longleftrightarrow \text{iProof}(K_p, m, \sigma_p)$
 $\quad \quad \quad \hookrightarrow \text{accept/reject}$

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- Properties:

- Completeness
- Unforgeability (sign + iProof)
- Non-transferability (offline)

ONTAP Construction

Theorem

An ONTAP can be build with

- a secure signature scheme such as
 - the signature is splittable in two parts: σ_p and σ_s
 - σ_p is simulatable
- a zero-knowledge proof for witness σ_s

Proofs of Knowledge

Proof of Knowledge

Binary relation R , e.g., the RSA problem:

$$R = \{ (x, w) : x \equiv w^e \pmod{N} \}$$

$$\text{RSA params: } N=pq, \quad ed \equiv 1 \pmod{\varphi(N)}$$

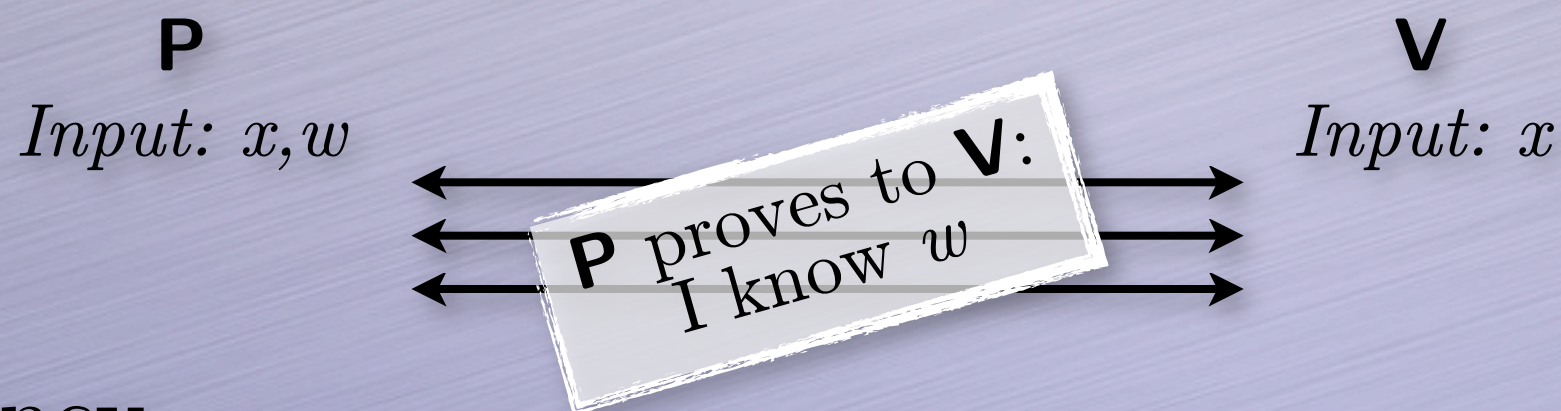
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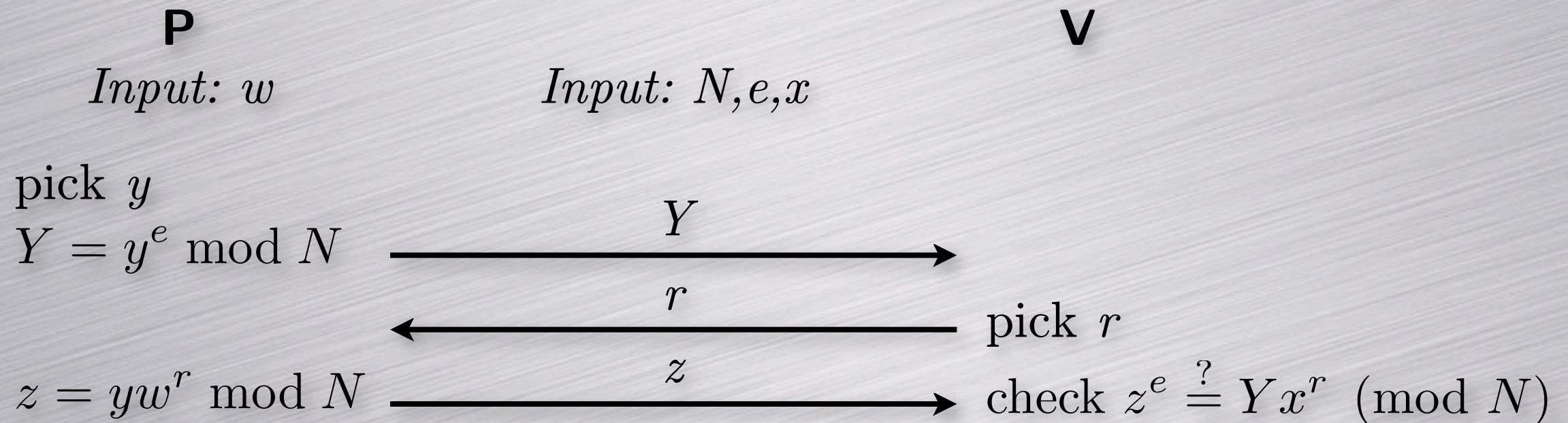
Proof of Knowledge



- ❑ Efficiency
- ❑ Completeness: if $(x, w) \in R$, then **V** always accepts
- ❑ Soundness: if $(x, w) \notin R$, then **V** rejects (with high prob)

The Guillou-Quisquater Protocol

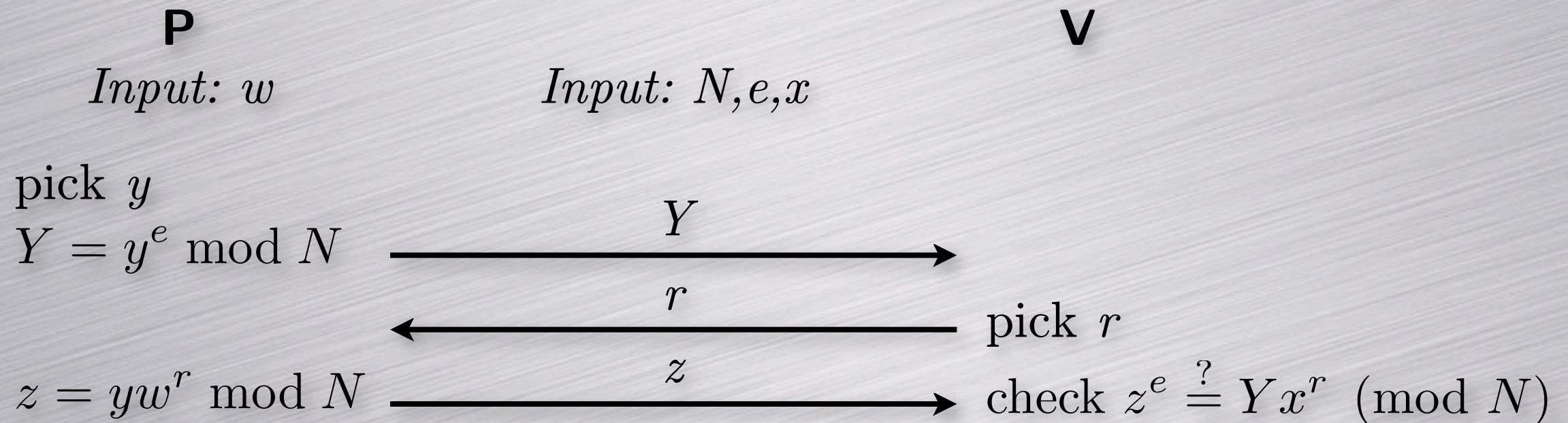
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V is convinced because P replied to the challenge r .

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No information leaks to **V** (except the statement)

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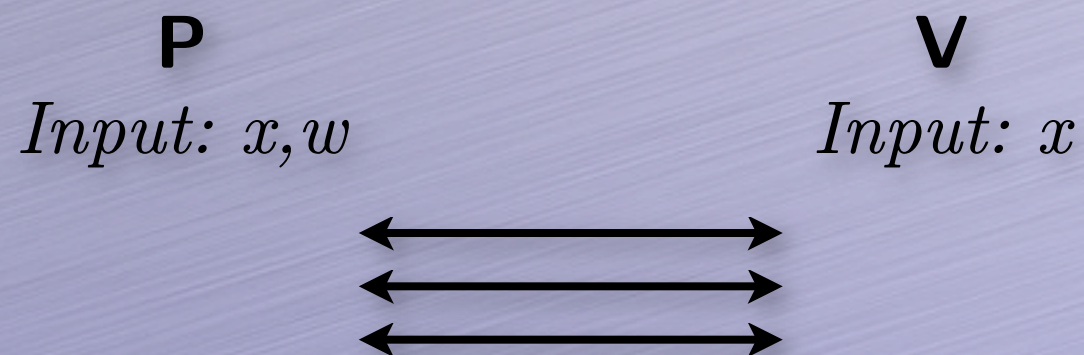
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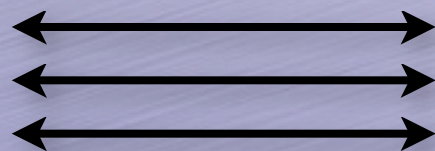
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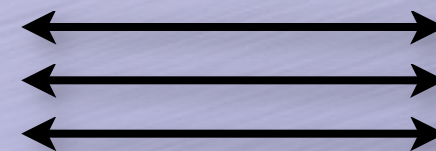
For any x , there exists **Sim** able to generate the transcript without w .

P
Input: x, w

V
Input: x



Sim
Input: x

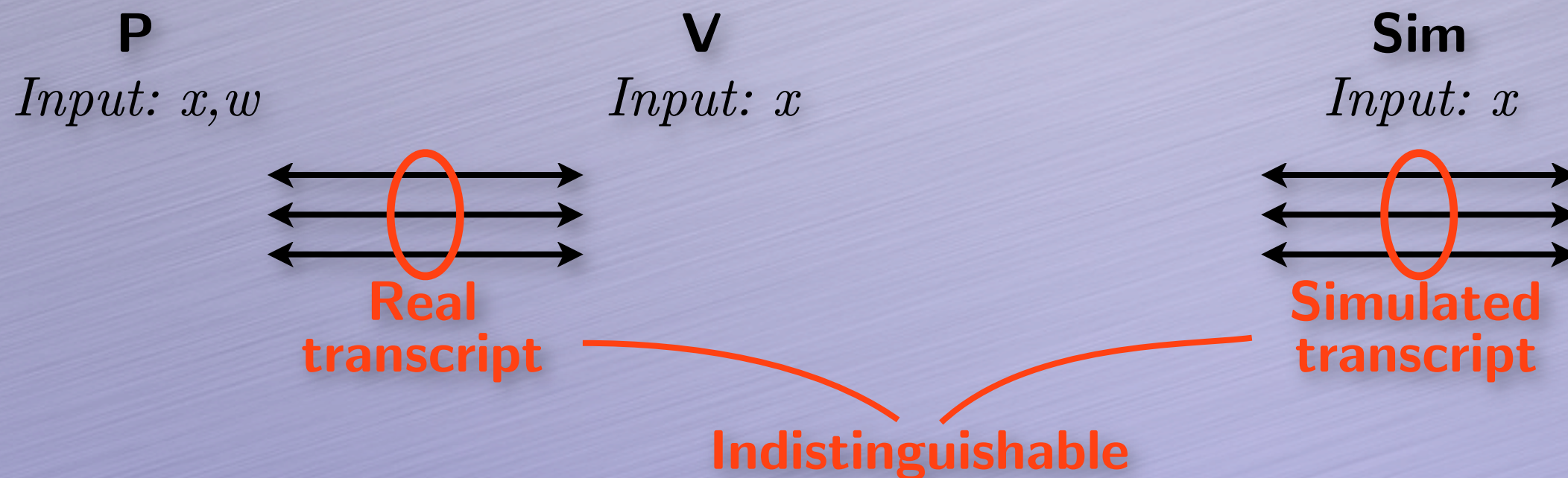


Zero-Knowledge

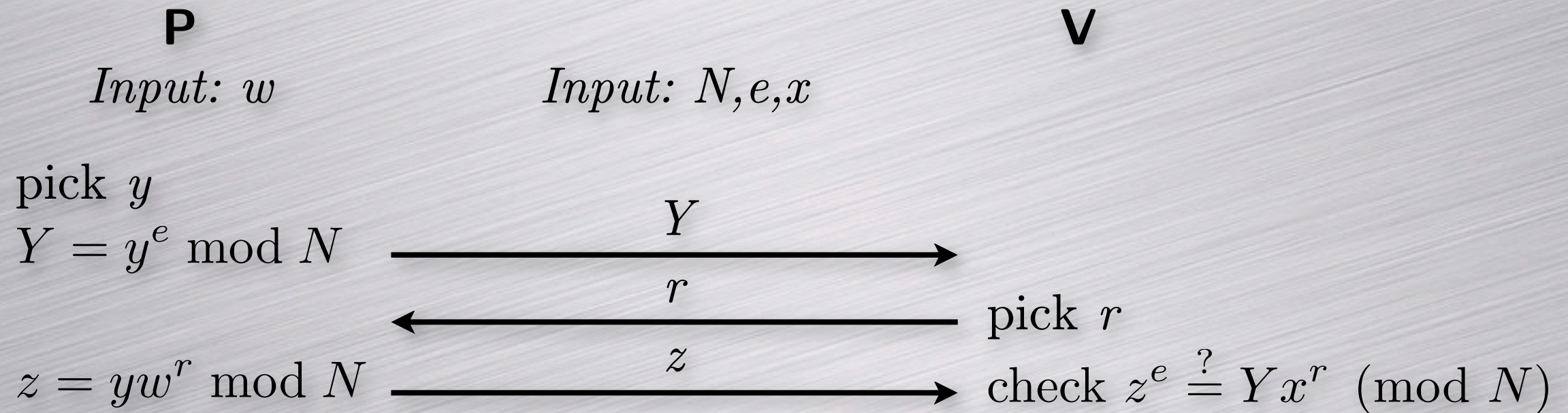
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Zero-Knowledge: GQ protocol



Simulated transcript (without w):

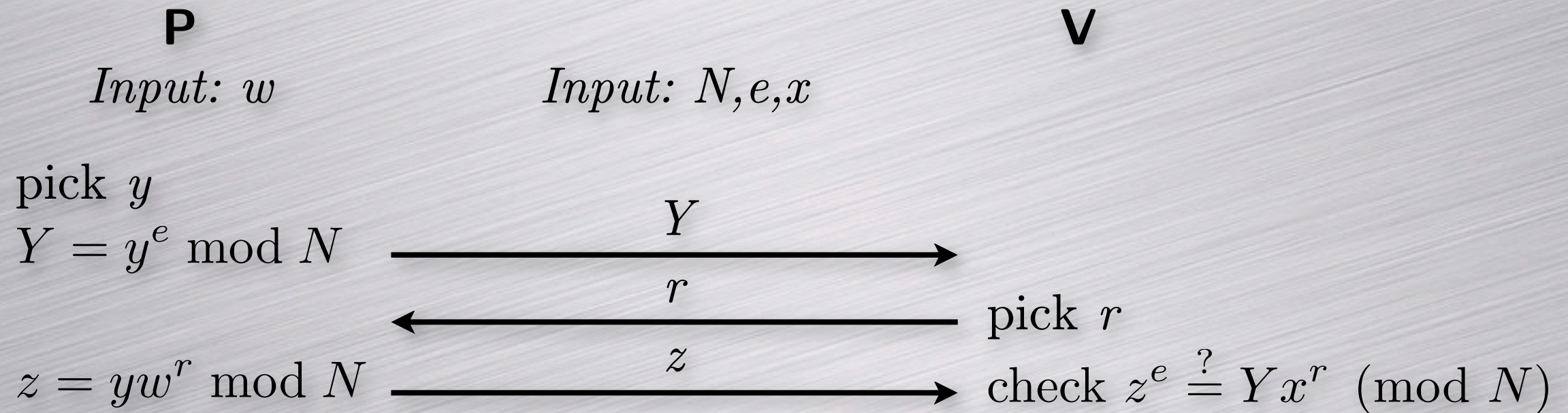
given N, e, x , and r

pick z

$$Y = z^e / x^r$$

output (Y, r, z)

Zero-Knowledge: GQ protocol



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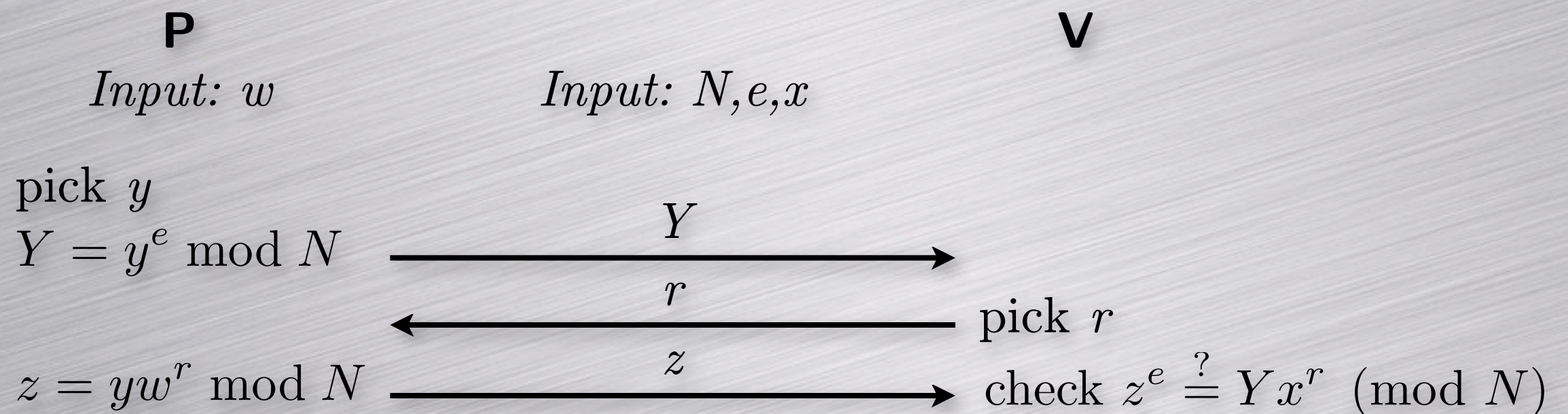
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**Everybody is able to generate this transcript,
this is not a proof of interaction.**

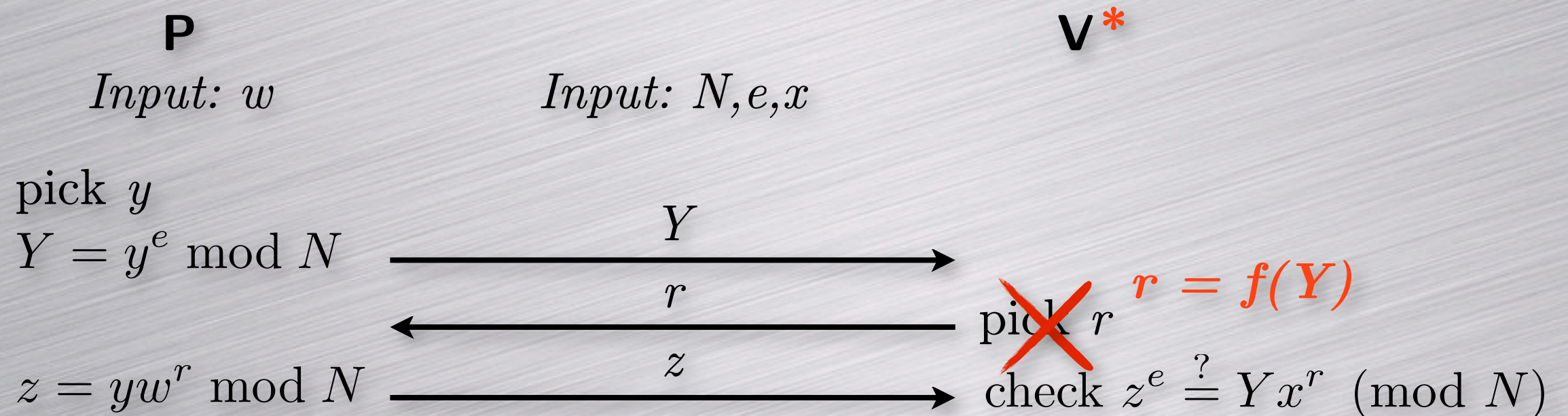
Fiat-Shamir Transform

The GQ protocol is only Honest-Verifier ZK.



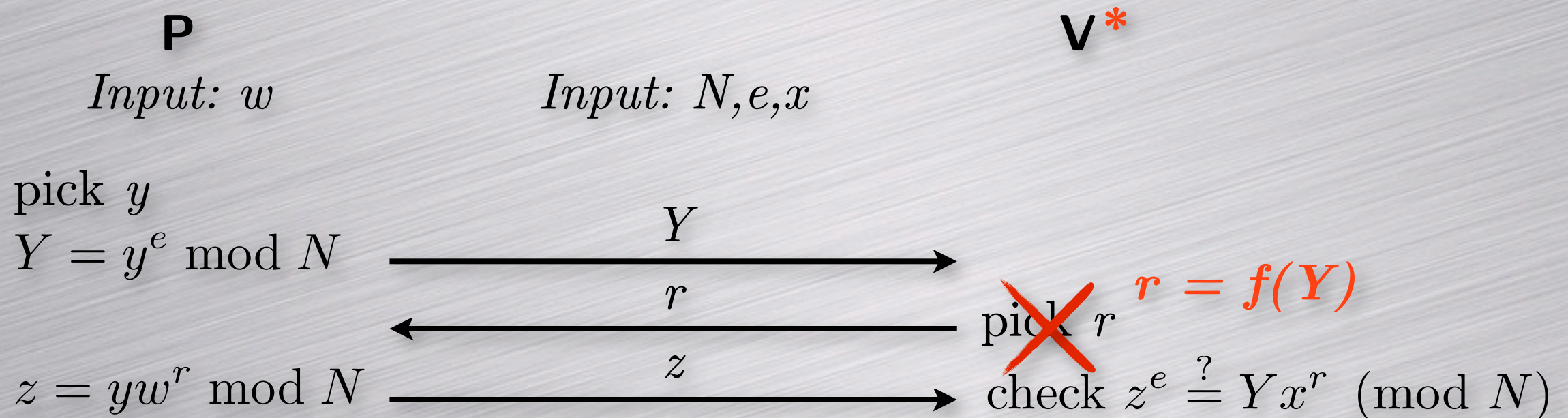
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Considering malicious verifiers:

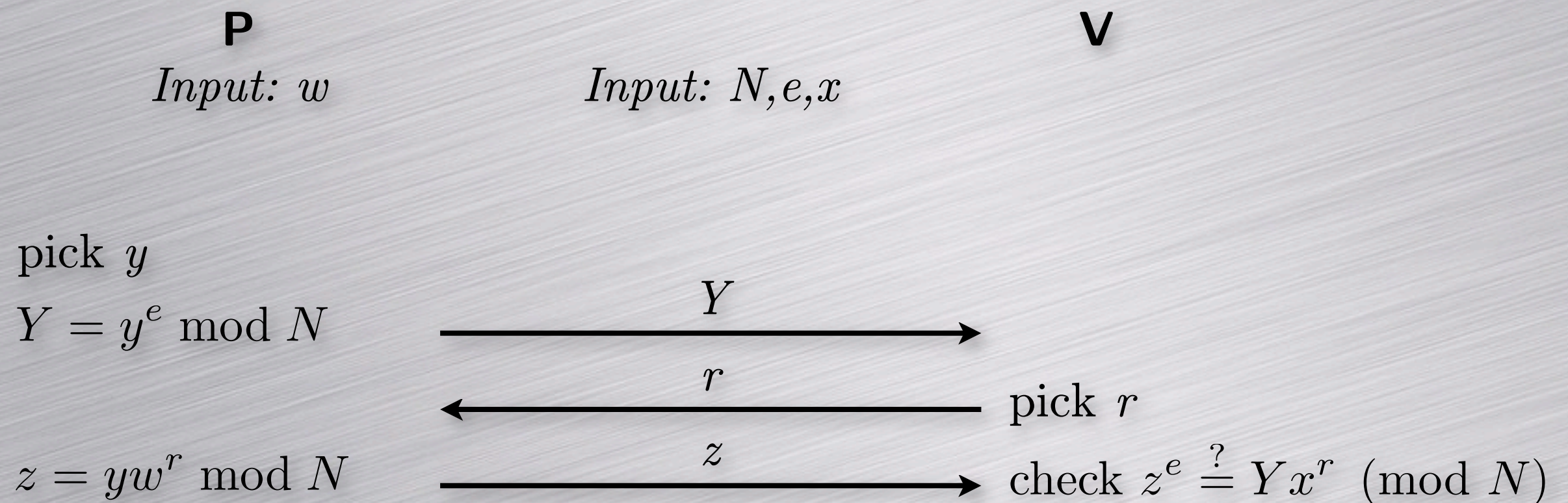
- ❑ the proof is not simulatable (without w),
- ❑ the proof becomes transferable.

Protocol Transform

To obtain a **full** zero-knowledge protocol,
ensure that r is chosen independently from Y .

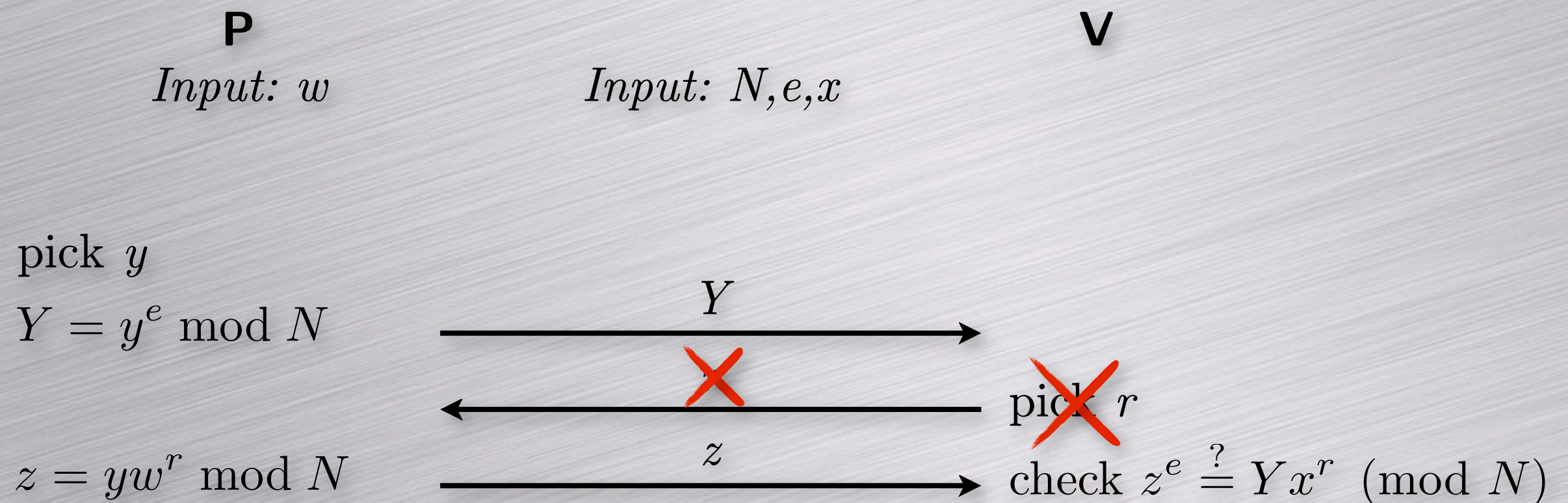
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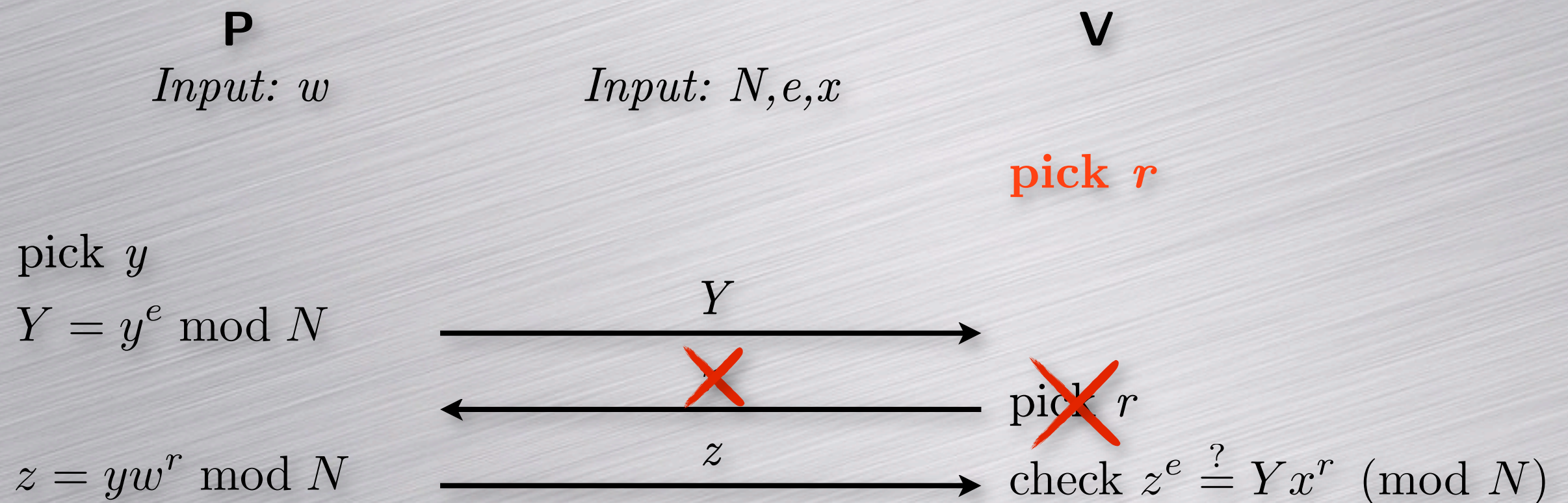
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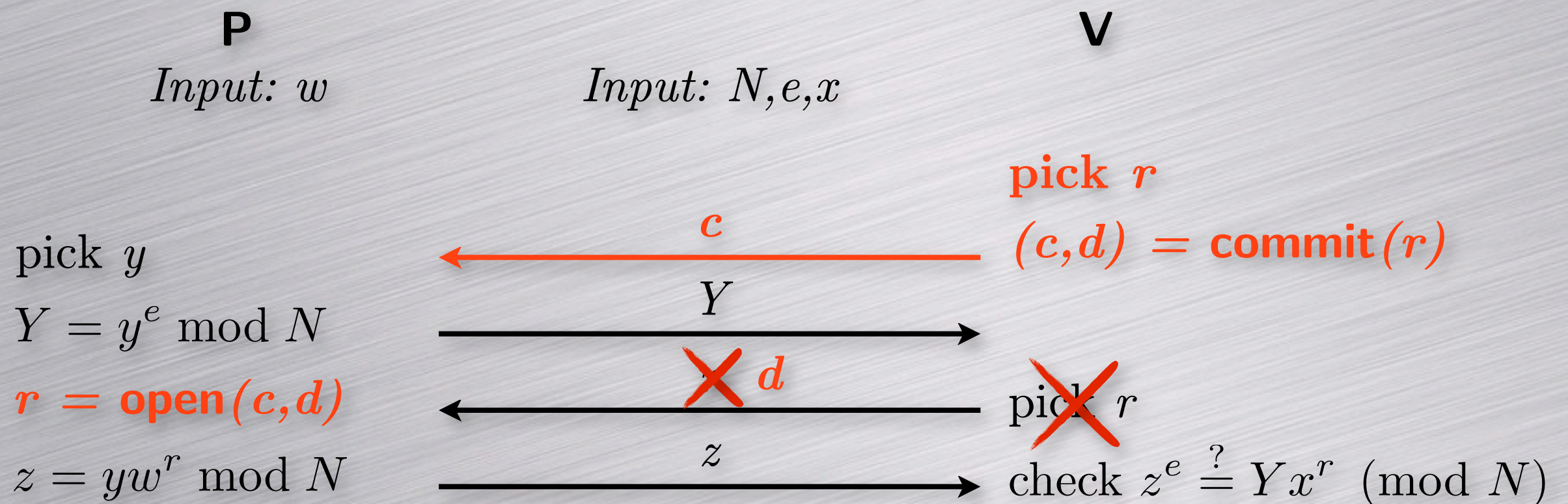
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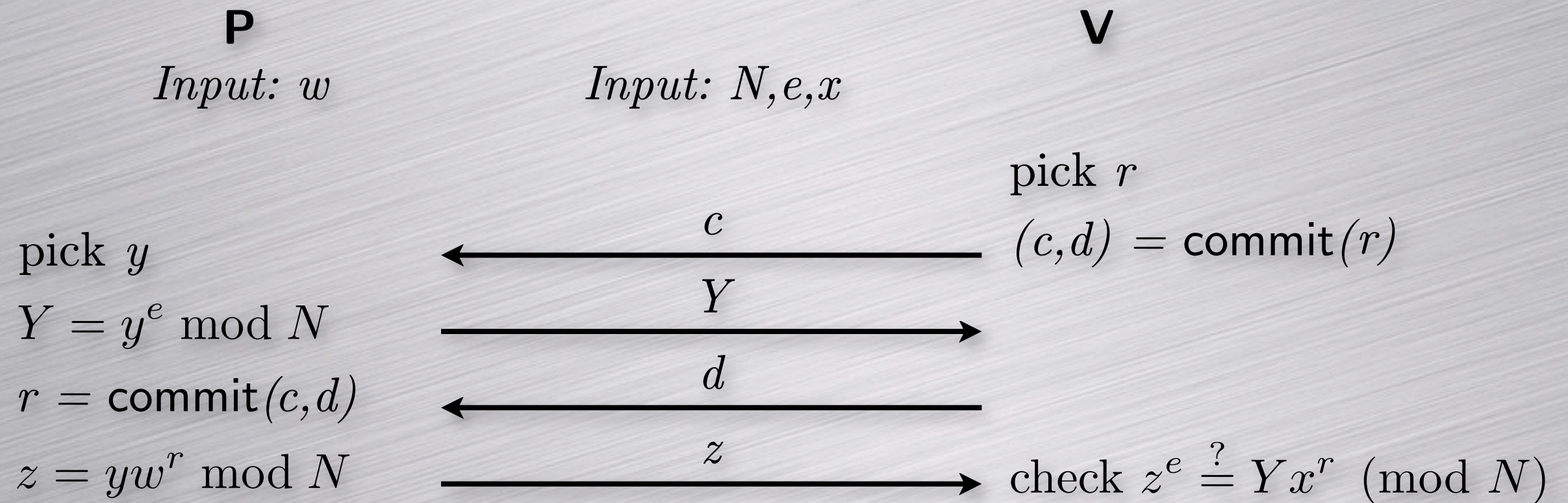


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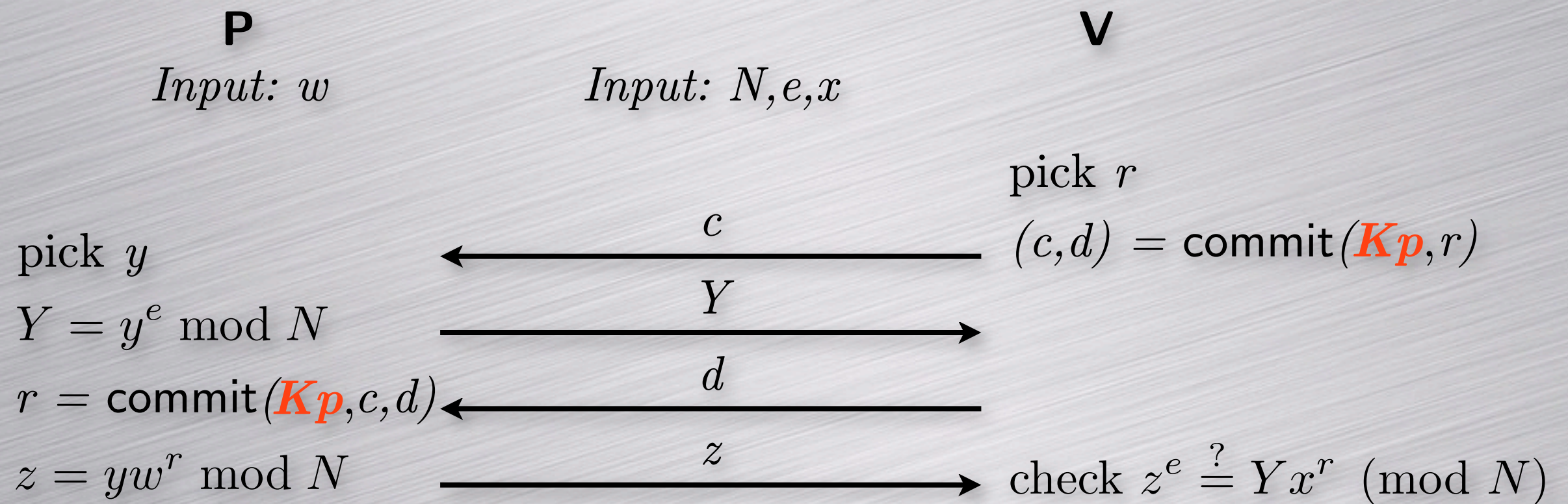
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Require the CRS Model...

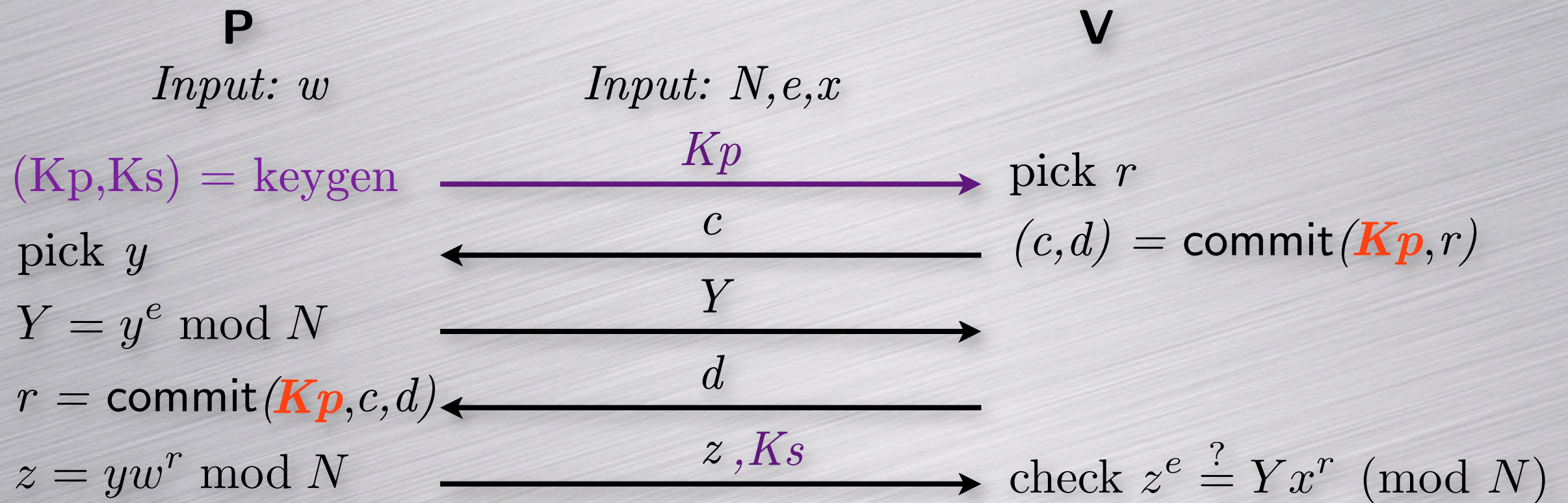


Require the CRS Model...



To prove the soundness, we should add a trapdoor.

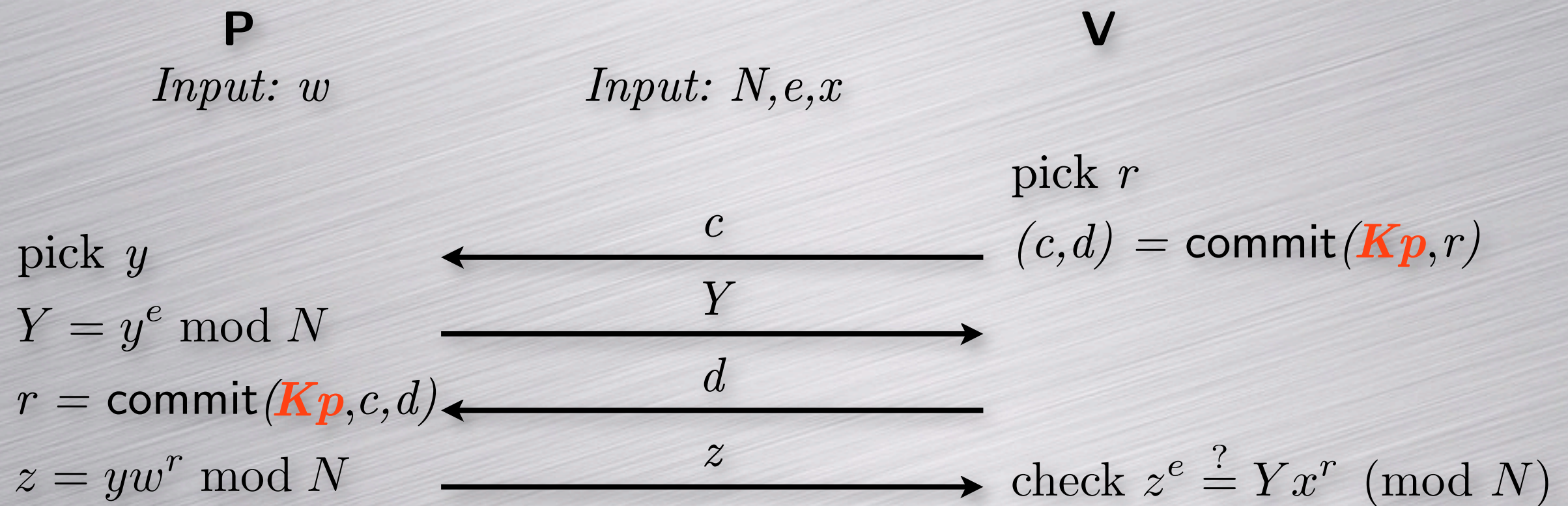
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□ in the plain model, we add a **move**.

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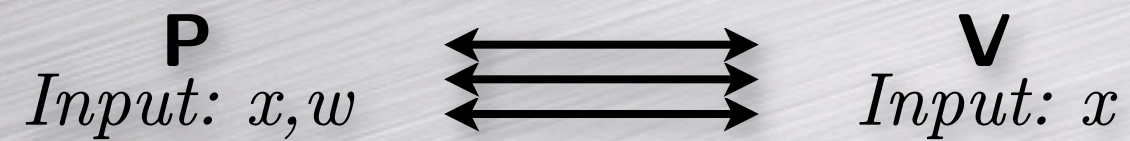


To prove the soundness, we should add a trapdoor.

- ❑ in the plain model, we add a **move**.
- ❑ in the CRS/RO model, Kp is a global setup.

Deniable Zero-Knowledge

Honest-Verifier ZK:



Deniable Zero-Knowledge

Honest-Verifier ZK:



ZK:



Deniable Zero-Knowledge

Honest-Verifier ZK:



ZK:



ZK in the CRS model:



Deniable Zero-Knowledge

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Deniable ZK in the CRS model:



Back to ONTAP: RSA example

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Prover

Verifier

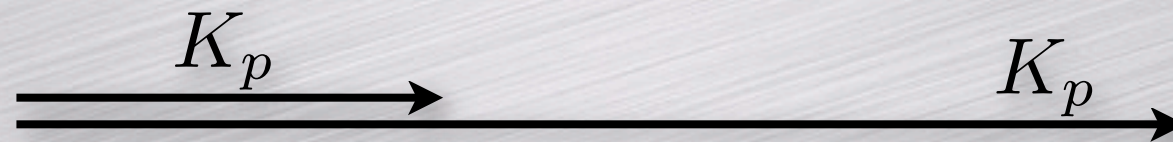
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RSA : p, q, N, e, d
 $K_p = (N, e)$
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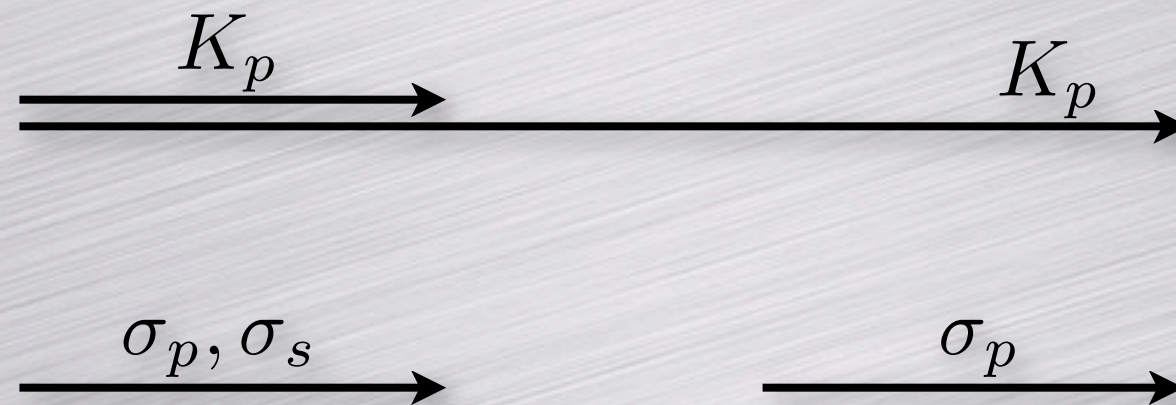
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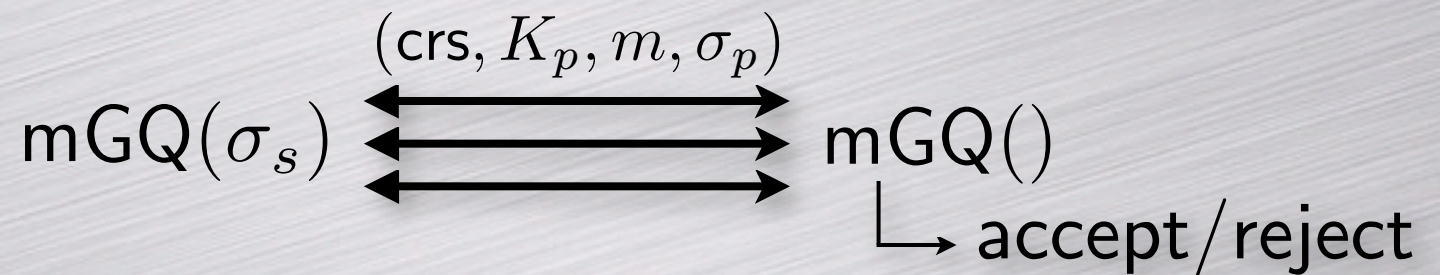
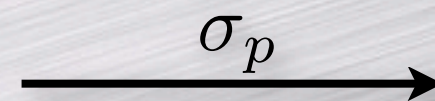
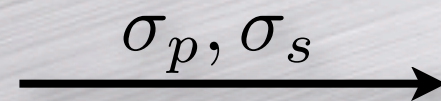
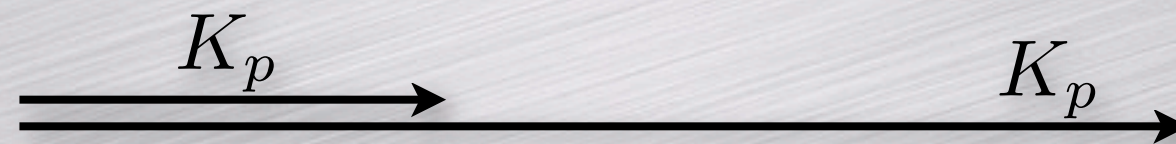
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Prover

Verifier

$\xrightarrow{K_p}$

$\xrightarrow{\sigma_p, \sigma_s}$

$\xrightarrow{\sigma_p}$

$mGQ(\sigma_s) \xleftrightarrow{(crs, K_p, m, \sigma_p)} mGQ()$
 $\hookrightarrow \text{accept/reject}$



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- Formal ONTAP definition
 - Online Non-Transferable Authentication Protocol
- Formal security proof of the generic transform
 - in the plain
 - in the random oracle model
 - in the common reference string model
- Efficient ONTAP implementations
 - for RSA-based signature schemes (GQ proof)
 - for ElGamal-based signature schemes (Schnorr proof)

**Thank you
for
your attention!**